

# “Bartik Instruments: What, When, Why, and How?”

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# Motivation and research question

- *Bartik* type instrumental variables are common in labor, public, development, macro, trade, finance
- Definition:
  - Bartik-like instrument is one that uses the *inner product structure* of the endogenous variable to construct an instrument
- Examples:
  - Employment growth rates and industry shares (Bartik, 1991; Katz, 1992), Immigrant enclaves and immigrant inflows (Card, 2009) China trade shock and industry shares (Autor et al., 2013), banking relationships and credit supply (Greenstone et al., 2020)
- Until recently, even if Bartik instruments were very commonly used, they were not well understood
- Goal of the paper:
  - Open black box of Bartik instruments, formalize their structure, unpack the variation underlying the instrument, and propose tools to assess validity

# Empirical application: Card 2009

$$y_l = \beta_0 + \beta \ln x_l + \beta_2 X_l + \varepsilon_l$$

- $l$  is a city
- $y_l$  residual log wage gap between immigrant and natives
- $x_l$  ratio of immigrant to native total hours of work
- $X_l$  vector of city-level controls
- $\beta$  parameter of interest: inverse elasticity of substitution between immigrants and natives
- Single cross section at the city level, for 124 US cities, in 2000 (from Census)

# Endogeneity concern and Bartik IV

- Endogeneity concern: positive labor demand shock that draws immigrants into a location disproportionately relative to natives
  - i.e., shock that increases both  $\varepsilon_l$  (earnings) and  $x_l$  (relative supply)

- $B_l$  is the Bartik instrument for  $x_l$ , where:

$$B_l = \sum_k z_{lk,1980} g_k$$

- $k$  indexes a country-of-origin
- $z_{lk,1980}$ : 1980 share of all immigrants in the US from country  $k$  who live in city  $l$
- $g_k$ : number of immigrants from country  $k$  who arrived in the US between 1990-2000

# Key results of the paper

- TSLS estimator of  $\beta$  using  $B_l$  as instrument,  $\hat{\beta}_B$  is numerically equivalent to GMM estimator with vector of  $z_{lk,1980}$  as instruments and a weight matrix constructed from national shocks  $g_k$ 
  - Bartik instrument equivalent to using local shares as instruments, so exogeneity condition should be interpreted in terms of the shares
- Bartik estimator can be decomposed into weighted sums of TSLS estimators using each individual  $z_{lk,1980}$  weight as instrument:

$$\hat{\beta}_B = \sum_k \hat{\alpha}_k \hat{\beta}_k$$

## (Subset of) Paper's advice for Bartik users

- Compute (Rotemberg) weights  $\hat{\alpha}_k$
- Is distribution of weights very skewed?
  - If so, we are particularly worried of exogeneity assumption not holding for countries  $k$  who have a large weight in the Bartik estimate
- Report instruments associated with largest values of  $\hat{\alpha}_k$
- Check for correlates of country origin shares  $Z_{lk,1980}$ , especially those with high  $\hat{\alpha}_k$